# IDL Obsession (with examples) 

Ronn Kling
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## Why Obsession?

- First, I really do love IDL
- When I see something my first thought is always "How would I do that in IDL?"
- Second, I like solving problems
- Third, I am a visual thinker
- I don't think in equations but in visual concepts. Having the ability to see my data displayed is invaluable.
- Fourth, I am always partial to the underdog and IDL is not quite as famous as Matlab.
- Fifth, I have been using IDL for 15 years and I still am amazed at the things we can do.


## Outline

- AVI creation and display
- New plugin for the IDL workbench
- Workbench
- My own "special" workbench layout

N-dimensional Ellipse fitting

- Code for 2D and 3D with optional weighting
- Easily extended to higher dimensions
- Point in a convex polygon/polyhedron Completely new (?) way of solving the problem


## AVI plugin

- The most popular DLL I have are the AVI (MPEG, Quicktime) reading/ writing routines
- With the new workbench I created a plugin that make it easy to install.
- Go to Help->Software Updates->find and Install. Then choose "find new updates"
- On the install panel choose New Remote Site and enter this information
www.rlkling.com/codebank/workbench



```
2 Install

\section*{Feature License}

Some of the features have license agreements that you need to accept before proceeding with the installation.


\section*{OI accept the terms in the license agreement \\ O Ido not accept the terms in the license agreement}
The following features will be installed. You can select a feature and change the location where the

\section*{Features to install:}
\begin{tabular}{|l|l|l|l|l|}
\hline \begin{tabular}{l} 
Feature Name \\
\hline 4TIDL AVI Reader and ...
\end{tabular} & Feature Version & Feature Size & Installation Directory \\
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\end{tabular}
Required space: Unknown
Free space: \(\quad 38.41\) GB
?
 ture will be installed.
Change Location .









- Look in

C:IProgram Files\ITT\IDL70lidIdelplugins\com.rlkling.idl.contrib.avi.windows_1.0.0 for the final installation instructions

\section*{Verification}

\section*{Feature Verification}
(1) Warning: You are about to install an unsigned feature.

You may choose to install the feature or cancel its installation.
This feature has not been digitally signed. The provider of this feature cannot be verified
```

Feature name: IDL AVI Reader and Writer

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Feature Identifier: com.rlkling.idl.contrib.avi.feature_1.0.0
Provider: Kling Research and Software
File Identifier: com.rlkling.idl.contrib.avi.feature_1.0.0

\section*{Creating an AVI movie}
- The syntax for creating an AVI writer is
- oAVIwriterObj = obj_new('krsGRaviWriter',filename, width, height, codec=codec, framerate=framerate, quality=quality, nBits=nBits, red=red, green=green, blue=blue)
- Filename must end in an AVI or an error will be generated
- Codec is the fourcc abbreviation for the compressor/decompressor (codec)
- If codec is blank then a windows dialog appears with all the codecs available on that machine displayed
- Adding a frame is simple
- status = oAVIwriterObj->addFrame(image)
- If the AVI object was created with nBits=8 then image must be a 2D array. If nBits \(=24\) then image must be a \(3 \times M \times N\) array
- The object must be destroyed in order to close the file
- obj_destroy, oAVIwriterObj

\section*{Reading, AVI, MPEG, Quicktime}
- The syntax for creating the AVI reader is
- oAVIreaderObj = obj_new('KRSgrAVIreader', file, width=width, height=height, numberOfFrames=numberOfFrames, nBits=nBits, red=red, green=green, blue=blue)
- If file has either an .mpg or .mov (quicktime) extension then the AVI reader object will attempt to use the avisynth frame server to read the file.
- Avisynth is a free third party scripting tool for windows and can be downloaded at www.avisynth.org.
The user need only install this program and the AVI reader object takes care of all the calls to avisynth.
- This process is completely transparent to the user.
- To get a frame
- image = oAVIreaderObj->getFrame(frameNumber)
- The object must be destroyed in order to close the file
- obj_destroy, oAVIreaderObj

\section*{Hybrid Workbench}
- Right after 7.0 came out there was a lot of discussion on the newsgroup about changing the layout of the workbench
- David Fanning has a picture of his layout with this quote
- "Don't ever use anything but the Debug Perspective in the Workbench."
- Getting the layout right can be very frustrating
- I have copied all of the relevant files (for windows) and have them on my website,
- This will reset your workbench back to the default state so you will lose any project settings!
- It will not delete any IDL files, but you will need to recreate the projects again.
- Once you get the .plugin directory from the site just replace yours in the IDLWorkspacel.metadata directory

\section*{N-dimensional Ellipse Fitting with Weighting}
- Very similar to David Fanning's fit_ellipse routine that he first wrote in 2002 and updated in August 2008
- Uses the method of moments and the quadratic form of the ellipse/ellipsoid equation
- Let \(\mathrm{a}_{\mathrm{i}}=\) amplitude at \(\mathrm{i}^{\text {th }}\) point
\(-\underline{X}_{i}=\) vector to the \(\mathrm{i}^{\text {ih }}\) point
\(-\underline{X}_{c}=\) vector to the (weighted) center
- Then \(\underline{X}_{c}=\sum a_{i} \underline{X}_{i} / \sum a_{i} \quad\) (First weighted moment)
- Second moment is \(P=\sum a_{i} \underline{d x_{i}}{ }^{\top} \underline{d x} / \sum a_{i}\) where \(\underline{d x}_{i}=\underline{X}_{i}-\underline{X}_{c}\)
- As you might expect if we find the eigenvectors and eigenvalues of \(P\) we can get the ellipse axes and rotation angle
- But take it one step further first

\section*{Ellipse fitting (cont)}
- Quadratic form of the ellipse equation is
- \(\left|\underline{X}-\underline{x}_{d}{ }^{\top}{ }^{P-1}\right| \underline{x}-\underline{x}_{a} \mid=k^{2}\)
- Independent of coordinate system
- True for all dimensions
- If the data being fitted is gaussian then k is the sigma factor
- i.e \(k=1\) is 1 sigma, \(k=2\) is 2 sigma etc.

If the data is not gaussian then \(k\) is still useful
- Calculate all of the \(k\) values from the equation above
- Using the max ensures that you will encompass all of the points. Picking a value of \(k\) that is \(90 \%\) of the max will create an ellipse that encompasses \(90 \%\) of the points and so on

\section*{Ellipse fitting (cont)}
- Once you have chosen a \(k\) you can draw the ellipse
- In 2D we let \(\underline{X}=r \underline{u}\) where \(\underline{u}=[\cos (\theta), \sin (\theta)]\) then
\(-r^{2}|\underline{u}|^{\top} P^{-1}|\underline{u}|=k^{2}\)
\(-\operatorname{Or} r=k /\left(|\underline{u}|^{\top} P^{-1}|\underline{u}|\right)^{1 / 2}\)
- So \(X(\theta)=r \cos (\theta)+{\underset{\mathrm{X}}{\mathrm{c}}}\) and \(Y(\theta)=r \sin (\theta)+\underline{Y}_{\mathrm{c}}\)

In 3D \(\underline{u}=\left[\cos (\theta)^{*} \cos (\varphi), \sin (\theta)^{*} \cos (\varphi), \sin (\varphi)\right]\)

- No Weighting
- White dots are the original data
- Red +'s are the fitted
- Semi-major and semi-minor are from the eigenvectors
evals \(=\) eigenql(P, eigenvectors \(=\) evec)
- semiMajor = sqrt(evals[0])
- semiMinor = sqrt(evals[1])
- angle \(=\operatorname{atan}(\operatorname{evec}[1,0], \operatorname{evec}[0,0])\)

\[
K=2
\]
\(K=1\)

\[
K=3
\]

\section*{Point in a convex polygon}
- Many routines and techniques exist to see if a single point is inside a polygon
- Algorithm is repeated for every testing point and every polygon vertex
- I know of no methods that are optimized to see if multiple points are inside the polygon
- Credit where credit is due. Original idea as applied to triangles was developed by a friend of mine, Jerry Lefever
Demonstration

\section*{The Key}
- Turn the 2D problem into a 3D one!
- Every edge intersects a plane with a z value of 1

\section*{The Steps for a Single Triangle}
- Calculate the distance along each edge segment
- Find the plane that passes through this line with a Z gradient of 1
\(-\quad \operatorname{dist1}=\operatorname{sqrt}\left((x 2-x 1)^{\wedge} 2 .+(y 2-y 1)^{\wedge} 2\right.\). \()\)
\(-\quad a 1=(y 2-y 1) / d i s t 1\)
- b1 = -(x2-x1)/dist1
\(-\quad c 1=-a 1^{*} x 1-y 1^{*} b 1\)
- Find the center of the triangle
\(-\quad x c=(x 1+x 2+x 3) / 3 \& y c=(y 1+y 2+y 3) / 3\)
- Calculate the distance from the center to the plane, if it is negative then flip the normal and find the new plane
- Do this so that later any positive distance values will have a certain meaning
- Repeat for other two edges
- When done we return a \(3 \times 3\) array where each row has the coefficients for the equation of a plane

\section*{Steps (cont)}
- For every point calculate the distance to each of the three planes. If all three distances are positive then point is inside the pyramid formed by the planes. If not, then it is outside
- If any distance is negative then you can stop testing immediately
- Inside the triangle this distance is the distance to the closest edge
Outside it is the perpendicular distance from the plane of the triangle to the closest plane
- Extending this method to any convex polygon is simple
- This also extends to a point in a convex polyhedron
- Simple example

Lesson: adding a dimension to a problem may actually make it easier to solve

\section*{Summary}
- I am an IDL geek and proud of it
- My routines for ellipse fitting and points in a polygon/polyhedra will be available on my website and the user contrib site```

